

PHILIPS SBC 1704

$$X_B - X_A = STO \quad Y_B - Y_A = X^2 + MR \quad X^2 = \sqrt{\quad} \Rightarrow d$$

$$1/X \times MR = F \cos^{-1} \quad \begin{array}{c} \text{Diagram: A hexagon with } Y_B \text{ and } X \text{ inside, and } X^2 \text{ below it. An arrow labeled } da \text{ points right. Below the hexagon is a box containing } \cos^{-1} + L + 360 = \end{array} \quad \begin{array}{l} \text{To the right of the arrow: } \text{dec} \\ \text{Below the arrow: } -^{\circ} = * 60 = \underline{\underline{V}}' \\ \text{Below that: } -' = \times 60 = \underline{\underline{V}}'' \end{array}$$

$$^{\circ} + ' \div 60 + '' \div 3600 = STO$$

$$\sin * d = \Rightarrow \Delta Y + Y_A = Y_B$$

$$\cos * d = \Rightarrow \Delta X + X_A = X_B$$